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Performance of buried pipelines, subjected to fault movement

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ABSTRACT: Earthquakes have demonstrated the vulnerability of buried pipelines in cases of permanent soil deformations rather than in ground shaking. A model is proposed, dealing with the analysis of the performance of shallow buried pipelines, subjected to fault movement. An analysis procedure is presented, applicable to both horizontal and vertical fault movement, either for strike slip or reverse strike slip fault. Results of the analysis, concerning the influence of parameters such as angle of pipe crossing the fault, geometric characteristics of pipe etc, are presented and commented. The ductility demands for the pipelines to resist large fault movement have been calculated.

1 INTRODUCTION

Buried pipelines play an important role in civil life. Their damage could lead to loss of vital services, communication, transportation etc and could sometimes result to a major disaster. Buried structures subject to earthquakes are particularly influenced by the deformation of the ground surrounding them. Deformation of the ground can be caused by abrupt displacement of an active fault, liquefaction, landslides and travelling seismic waves. Among them, fault movement is major cause for pipelines' damage after severe earthquakes. This was reported after many significant earthquakes in the last years.

Though the important role of buried pipelines in human life is worldwide recognized, Earthquake Regulations do not include much concerning pipelines' earthquake resistant analysis and design, compared to what is included about other types of structures. However, a pipeline system is generally built up over a large territory and is subject to a variety of possible earthquake induced hazards; especially in the case of regions with high seismicity, e.g. Greece, it is almost impossible for a major pipeline not to cross a number of active faults!

In such cases, the response of buried pipelines to fault movement is an important part of lifeline earthquake engineering and its investigation is in line with the modern aspects on the subject.

2 FORMULATION OF THE PROBLEM

The model used in the present analysis, for the case of vertical fault movement, is shown in Figure 1 (side view).

A fault movement causes the relative displacement (ΔV) of the soil surrounding the pipeline. As the soil at the left hand side moves downwards, the relative motion of the pipeline is upwards and the reaction to this movement is due to the uplift reaction of the soil. As the soil at the right hand side moves upwards, the relative motion of the pipeline is downwards and the reaction to this movement is due to the bearing capacity reaction of the soil. The total relative motion of the pipeline consists of both parts:

$$\Delta V = \Delta V_1 + \Delta V_2$$

The model is assumed to consist of two curved segments (AB_1 and AB_2), each one of constant curvature joined at point A, near the transition zone, and two semi-infinite segments on elastic foundation, away from the transition zone. This assumption of an elastic foundation is permitted by the small value of soil deformations on the semi-infinite segments of the pipeline.

The described model includes also the assumption that point A is the first point where a plastic hinge of the pipeline will occur, as the soil deformation increases. Relative soil movement causes axial deformation (and, therefore, axial force) of significant value to the pipeline.

A number of investigations have been conducted, based on similar models, mainly for horizontal movement and tensile behaviour of pipelines. Among these are three well-known procedures: Newmark-Hall (1975) procedure, Kennedy et al (1977) procedure and Wang-Yeh (1985) procedure. In such cases, symmetry exists around point A, therefore there is one parameter less for the analysis.

Frequently, a specific type of ground failure in a fault zone will cause both tension and compression failures, depending on the orientation of the pipeline and its location within the zone of movement. The authors of the present paper have extended the Wang-Yeh procedure, in order to include compression phenomena. They have also included in the model the reduction of flexural stiffness of the pipe, due to severe axial forces at the large deformation area. They have come to the conclusion that, for fault movement larger than 1.0 m, flexural stiffness of the pipe can be totally omitted from the analysis, without practically affecting the accuracy of the final solution. This is valid because a large axial force reduces the values of the first and the second yield moments of the pipe, causing decrease of flexural stiffness of the pipe at any point in the large deformation region. This causes extra deformations to the pipe, which means extra reduction of the flexural stiffness. Therefore, a model has been built, by ignoring the bending stiffness of the pipe. This model is shown in Figure 1. Detail of large deformation area is shown in Figure 2. All symbols are referred to the Symbol Table, at the end of the text.

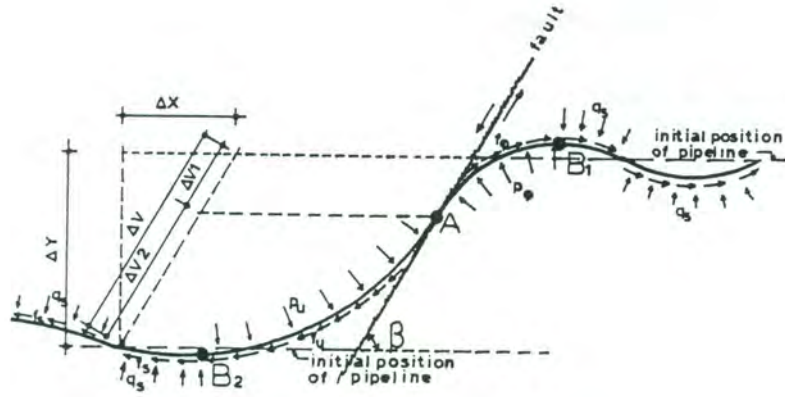


Figure 1. Model of pipeline subjected to vertical fault movement (side view).

Some related equations, from a previous paper (Vougioukas, Theodossis & Carydis (1991)) can be expressed.

For the part of the model that moves downwards:

$$\sum(F_x) = 0 \implies F_{A1} \cos \alpha_1 - F_\phi R_1 \sin \alpha_1 + P_\phi R_1 (1 - \cos \alpha_1) - F_{B1} = 0 \quad (1)$$

$$\sum(F_y) = 0 \implies -F_{A1} \sin \alpha_1 + F_\phi R_1 (\cos \alpha_1 - 1) + P_\phi R_1 \sin \alpha_1 = 0 \quad (2)$$

$$\sum(M_o) = 0 \implies F_{A1} R_1 - F_{B1} R_1 - F_\phi R_1^2 \alpha_1 = 0 \quad (3)$$

Similar equations can be extracted for the other part of the model, that moves upwards:

$$\sum(F_x) = 0 \implies F_{A2} \cos \alpha_2 - f_u R_2 \sin \alpha_2 + P_u R_2 (1 - \cos \alpha_2) - F_{B2} = 0 \quad (4)$$

$$\sum(F_y) = 0 \implies -F_{A2} \sin \alpha_2 + F_u R_2 (\cos \alpha_2 - 1) + P_u R_2 \sin \alpha_2 = 0 \quad (5)$$

$$\sum(M_o) = 0 \implies F_{A2} R_2 - F_{B2} R_2 - F_u R_2^2 \alpha_2 = 0 \quad (6)$$

Balance of axial forces at section A gives:

$$F_{A1} = F_{A2} (= F_A) \quad (7)$$

Compatibility demand requires that total "geometric" (ΔG) and "permissible" (ΔP) deformations of the pipe are equal:

$$\Delta G = \Delta P \quad (8)$$

ΔG is calculated from the deformed shape of the model. ΔP is calculated from the stress-strain relations of every part of the model. Determination of ΔG and ΔP is given in detail in the same paper.

Therefore, there is a system of eight equations with eight unknowns. It must be noted that, though the equations are extracted for fault movement causing tension to the pipeline, they are also valid for compression, provided that P_u and P_ϕ are given negative values, if buckling phenomena are omitted from the analysis, due to soil surrounding the pipe.

For the case of horizontal fault movement, ultimate soil

resistance should be given corresponding values, equal to each other for both parts of the pipeline (symmetry around point A). In this case, Figures 1 and 2 present top view of the model.

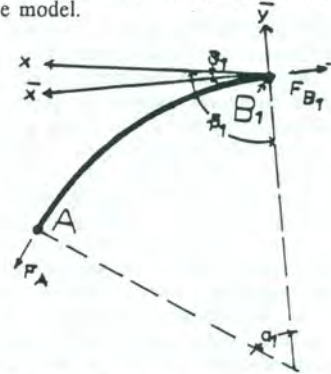


Figure 2. Detail of large deformation area of the model.

3 MATERIAL PROPERTIES

Steel X-70 has been mainly used for sample calculations in this study. Steel St-37, according to German Standards (DIN), has also been used, for comparison purposes. Stress-strain curves for X-70 and St-37 are presented in Figure 3. These curves are approximated by tri-linear curves, having the initial elastic portion up to the first yield point σ_1 , then a second linear part having a much smaller slope, up to the constant ultimate yield strength σ_2 . The slopes of the stress-strain curves are denoted as E_1 and E_2 for the first and the second linear portions, respectively. The first linear portion is considered as the elastic region and the second linear portion is considered as the inelastic region.

Ductility demand for the pipeline to resist fault movement is defined as the ratio ϵ/ϵ_1 , where ϵ is the maximum strain at point A and ϵ_1 the strain corresponding to the first yield point of the material.

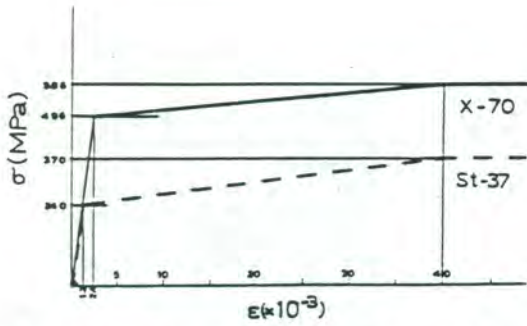


Figure 3. Stress-strain curves for steel X-70 and St-37.

4 SOIL CHARACTERISTICS

The pipe considered in our analysis is buried in a trench and backfilled with sand. The trench is wide enough, so that the properties of the sand govern pipe-soil interaction. These properties, for the sample calculations of this study, were considered as:

$$\begin{aligned} \gamma &= 17.6 \text{ kN/m}^3 \\ \varphi &= 35.0 \text{ deg} \\ \varphi_p &= 20.0 \text{ deg} \end{aligned}$$

According to Loizos (1977), the bearing capacity of the soil reaction p_q is given by:

$$\begin{aligned} p_q &= c N_c + \gamma_1 t N_q + 0.5 \gamma_2 B N_\gamma \\ \text{In our case } c=0, \gamma_1=\gamma_2, t=H, B=D, \text{ thus:} \\ p_q &= \gamma H N_q + 0.5 \gamma D N_\gamma, \text{ per unit pipe area, or} \\ p_q &= \gamma H N_q D + 0.5 \gamma D^2 N_\gamma, \text{ per unit pipe length} \end{aligned}$$

N_q and N_γ are, according to DIN 4017, functions of φ , (e.g. for $\varphi = 35^\circ$, $N_q = 33.3$ and $N_\gamma = 33.9$).

The passive pressure of the soil is given by:

$$\begin{aligned} p_u &= \gamma H N_u, \text{ per unit pipe area, or} \\ p_u &= \gamma H N_u D, \text{ per unit pipe length} \end{aligned}$$

N_u , according to Trautman et al (1985), is given by:

$$N_u = K H/D \tan \varphi + 1 - \pi D/8H$$

Away from the transition zone, the reaction of the soil to the semi-infinite pipe segments, is, according to Spangler and Handy (1973):

$$\begin{aligned} q_s &= 0.5 (1+k_o) + \gamma H, \text{ per unit pipe area, or} \\ Q_s &= 0.5 (1+k_o) D + \gamma H D, \text{ per unit pipe length} \end{aligned}$$

Note that Q_s is different at each side of the pipe, due to different k_o .

Friction, anywhere on the pipe, can be found by multiplying the pressure terms by $\tan \varphi_p$. Thus:

$$\begin{aligned} F_q &= p_q \tan \varphi_p \\ F_u &= p_u \tan \varphi_p \\ F_s &= Q_s \tan \varphi_p \end{aligned}$$

All symbols are referred to the Symbol Table, at the end of the text.

5 ITERATIVE PROCEDURE

The given data are the soils characteristics, the geometric and material properties of the pipe and the characteristics of the movement induced by a fault: Length of relative movement ΔV (horizontal or vertical, causing tension or compression) and angle β between fault and pipe.

Though the number of the equations equals the number of the unknowns (8), equation (8) is a very complicated function, so an iterative procedure has to be used for the determination of the final solution, as follows:

F_A is given an initial value and equations (1)-(6) are used to determine the geometry of deformation ($\alpha_1, \alpha_2, R_1, R_2$) and F_{B1}, F_{B2} . Consequently, ΔV is divided in two parts ΔV_1 and ΔV_2 . Then, equation (8) is used for verification of the solution. If equation (8) is not verified, F_A is given a new value, until the procedure converges. The ductility demand for the pipeline (q) to resist any given fault movement can be calculated at this point, by dividing the maximum strain that results from the analysis to the strain that corresponds to the first yield point of the material that is used for the construction of the pipeline.

A failure criterion could compare the ductility demand to the available ductility of a pipeline. Values are not, as yet, provided for this available ductility (q_a) by any regulations or specifications. Anyhow, parameters of the design must be chosen in such a way as to conclude to the lowest possible value for q .

Wang and Yeh (1985) have proposed a different failure criterion, comparing the 'response' moment to the 'resisting' moment of the pipe, after the final solution is reached. This criterion cannot be used here, as the loss of the bending resisting capacity of the pipe due to axial force is already included in the iteration procedure.

6 RESULTS AND CONCLUSIONS

After numerous parametric solutions, we came to the conclusion that, for the soil characteristics considered, the ductility demand (q) is mainly affected by six parameters:

- Type of fault movement
- Material of pipe
- Relative displacement between two parts (ΔV)
- Crossing angle (β)
- Diameter of pipe (D)
- Depth of cover (H)

Given the type of fault movement and the material of the pipe, the ductility demand can be extracted as a product of four factors, representing the influence of the last four parameters:

$$q = q_v q_\beta q_D q_H$$

6.1 For the case of vertical fault movement (Steel X-70)

$$\begin{aligned} q_v &= 0.28 \Delta V + 0.54 \\ q_\beta &= -0.023 \beta + 3.49 \\ q_D &= 1.675 D + 0.04 \\ q_H &= 1.365 H - 0.02 \end{aligned}$$

6.2 For the case of horizontal fault movement (Steel X-70)

$$\begin{aligned} q_v &= 0.46 \Delta V - 0.76 \\ q_\beta &= -0.012 \beta + 1.59 \text{ (for } \beta > 65^\circ) \\ \text{and } q_\beta &= -0.160 \beta + 11.30 \text{ (for } \beta \leq 65^\circ) \\ q_D &= 0.474 D + 0.21 \\ q_H &= 0.898 H - 0.42 \end{aligned}$$

6.3 For the case of horizontal fault movement (Steel St-37)

$$\begin{aligned} q_v &= 0.216 \Delta V + 0.83 \\ q_\beta &= -0.026 \beta + 3.75 \end{aligned}$$

$$q_D = 0.650 D + 1.25$$

$$q_H = 1.236 H + 0.16$$

In all the above relations ΔV , D and H are in meters. Angle β is in degrees. H is measured from the center of the pipe section to the top of the covering soil. Minimum value of every q_i factor ($i = V, \beta, D, H$) equals 1.00.

The relations have been extracted for the following values of parameters:

- o 1.5, 3.0, 4.5, 6.0, 7.5, 8.0, 8.5 for ΔV .
- o 60, 65, 70, 75, 80, 85, 90 for β .
- o 0.10, 0.20, 0.30, 0.60, 0.75, 0.90, 1.07, 1.20, 1.50 for D .
- o 0.2, 0.3, 0.6, 0.95, 1.2, 1.7 for $(H-D)/2$.

At the parametric solutions performed, two of the parameters (in every possible combination) kept each time their "basic" value (the underlined ones). The proposed formulae are correlated with the actual results of the parametric solutions by a correlation coefficient from 0.85 to 0.95, depending on the case.

What can mainly be noticed, is that ductility demands are larger for the case of vertical fault movement than for the case of horizontal fault movement. That is because soil resistance to the pipe movement, due to the bearing capacity of the soil, is larger enough than resistance due to uplift reaction of the soil. The most vulnerable part of the pipeline in such a case is the "upper" part, between points A and B_1 , and it is the ductility demand of this part that has been calculated.

Some geometric characteristics were found to have the following average values: $\alpha_1/\alpha_2 = 4$, $\Delta V_1/\Delta V = 0.3$

It can also be noticed that ductility demands are larger for steel St-37 than X-70. On the other hand St-37 is a more ductile material than X-70, so the behaviour of each material has to be judged separately.

The proposed formulae have been extracted for fault movement that causes tension to the pipeline. Parametric solutions were carried out for the case of compression, using the same values of parameters as in the previous case. If buckling phenomena are not taken into account, the ductility demands are less, so the results are not of much interest.

What can be easily extracted from the formulae is that, given the type of fault and value of expected fault movement, angle β should be selected to approach 90° as much as possible. Unfortunately, angle β is not selectable for cases of vertical movement. The diameter of the pipe should be selected as small as possible. Depth of cover should be minimized as much as possible.

Another parameter that has been examined was angle of friction between soil and pipe. Though smaller values of ϕ_p reduce the ductility demand, this reduction, for ϕ_p between 15 and 30 degrees, is of relatively small value. For the proposed formulae of ductility demands (see 6.1, 6.2 and 6.3) its value is assumed to be 20 degrees.

SYMBOL TABLE

A_p	cross section of pipe
D	external diameter of pipe
E	secant modulus of elasticity of steel
E_1 (E_2)	first (second) modulus of elasticity of steel
F_{A1} (F_{A2})	axial force at point A, upper (lower) part
F_{B1} (F_{B2})	axial force at point B_1 (B_2)
F_s (f_s)	friction force, per unit length (area) of pipe, away from the transition zone

F_u (f_u)	friction force, per unit length (area) of pipe, due to the relative pipe movement upwards
F_ϕ (f_ϕ)	friction force, per unit length (area) of pipe, due to the relative pipe movement downwards
H	depth of soil covering the pipeline
k	elastic foundation spring constant
N_u	bearing capacity factor
P	axial force occurring to pipe due to fault movement
P_u (p_u)	passive pressure of soil per unit length (area) of pipe
P_ϕ (p_ϕ)	bearing capacity of the soil reaction per unit length (area) of pipe
Q_s (q_s)	reaction of the soil, away from the transition zone, per unit length (area) of pipe
R_1 (R_2)	radius of curvature of upper (lower) part
β	crossing angle
$\beta_1, \alpha_1, \theta_1$	angles, concerning geometry of upper part (Fig.2)
$\beta_2, \alpha_2, \theta_2$	angles, concerning geometry of lower part
γ	unit weight of soil
ΔG	total geometric deformation of pipe
ΔV	total relative displacement of soil surrounding the pipeline, along the fault
ΔV_1 (ΔV_2)	relative displacement of pipeline downwards (upwards), along the fault
ϕ	internal angle of friction of soil
ϕ_p	angle of friction between soil and pipe

REFERENCES

- Kennedy, R.P., Chow, A.W. and Williamson, R.A. 1977. Fault movement effects on buried oil pipeline. *Transportation Engineering Journal of ASCE* 103: 617-633
- Loizos, A.A. 1977. *Soil Mechanics I*, 3rd edn. National Technical University of Athens.
- Newmark, N.M. and Hall, W.J. 1975. Pipeline design to resist large fault displacement. *Proceedings of the U.S. National Conference on Earthquake Engineering*. Oakland. EERI.
- Spangler, M.G. and Handy, R.C. 1973. *Soil Engineering*, 3rd edn. Intex Press, New York.
- Trautmann, C.H., O'Rourke, T.D., and Kulhawy F.H. 1985. Uplift force-displacement response of buried pipe. *Journal of Geotechnical Engineering Division of ASCE*, Vol 111.
- Vougioukas, E.A., Theodossis, C. and Carydis, P.G. 1991. Seismic analysis of buried pipelines subjected to vertical fault movement. *Technical Council on Lifeline Earthquake Engineering (TCLEE)*, Monograph No 4.
- Wang, R.R.-L. and Yeh Y.-H. 1985. A refined seismic analysis and design of buried pipeline for fault movement. *Journal of Earthquake Engineering and Structural Dynamics*, Vol 13.

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